"Group Theory International" Online Seminar

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"Nielsen equivalence in a class of random groups"

Thursday, April 17, noon (New York Time)

Abstract:

We show that for every $n \ge 2$ there exists a torsion-free one-ended word-hyperbolic group G of rank n admitting generating n-tuples $(a_1,...,a_n)$ and $(b_1,...,b_n)$ such that the (2n - 1)-tuples

 $(a_1, \ldots, a_n, \underbrace{1, \ldots, 1}_{n-1 \text{ times}})$ and $(b_1, \ldots, b_n, \underbrace{1, \ldots, 1}_{n-1 \text{ times}})$

are not Nielsen-equivalent in G. The group G is produced via a probabilistic construction. This is joint work with Ilya Kapovich.

Next presentation: May 1, TBA

